Curriculum Correlations between McGraw-Hill Ryerson Foundations of Mathematics 10 and The Ontario Curriculum (MFM 2P)

This course enables students to consolidate their understanding of linear relations and extend their problem-solving and algebraic skills through investigation, the effective use of technology, and hands-on activities. Students will develop and graph equations in analytic geometry; solve and apply linear systems, using real-life examples; and explore and interpret graphs of quadratic relations. Student will investigate similar triangles, the trigonometry of right triangles, and the measurement of three-dimensional figures. Students will consolidate their mathematical skills as they solve problems and communicate their thinking.

Foundations of Mathematics 10: Mathematical Process Expectations Correlation

Mathematical Process Expectations

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The mathematical processes are to be integrated into student learning in all areas of this course. Throughout this course, students will:

Mathematical Process Expectations	Chapter/Section	Pages
Problem Solving MPS.01 develop, select, apply, and compare a variety of problem-solving strategies as they pose and solve problems and conduct investigations, to help deepen their mathematical understanding;	General References Problem-Solving Strategies All Chapters/Sections Specific References 5.2 Solve Linear Systems by Substitution 6.1 Explore Non-Linear Relations 9.1 Volume of Prisms and Pyramids 9.2 Surface Area of Prisms and Pyramids 9.4 Volume of Cones and Spheres	General References X to XV Throughout Specific References 210 243 370, 371 379 395
Reasoning and Proving MPS. 02 develop and apply reasoning skills (e.g., recognition of relationships, generalization through inductive reasoning, use of counter-examples) to make mathematical conjectures, assess conjectures, and justify conclusions, and plan and construct organized mathematical arguments;	Specific References1.1 Imperial Measure1.2 Conversions BetweenMetric and ImperialSystems5.4 Solve ProblemsInvolving Linear Systems6.3 Key Features ofQuadratic Relations	Specific References 10 17, 18 223 263
Reflecting MPS.03 demonstrate that they are reflecting on and monitoring their thinking to help clarify their understanding as they complete an investigation or solve a problem (e.g., by assessing the effectiveness of strategies and processes used, by proposing alternative approaches, by judging the reasonableness of results, by verifying solutions);	 Specific References 1.2 Conversions Between Metric and Imperial Systems 2.1 The Pythagorean Theorem 2.3 The Sine and Cosine Ratios 2.4 The Tangent Ratio 5.1 Solve Linear Systems by Graphing 5.4 Solve Problems Involving Linear Systems 6.2 Model Quadratic Relations 9.1 Volume of Prisms and Pyramids 9.2 Surface Area of Prisms and Pyramids 	Specific References 17 50, 51, 52 72 81 202 224 252 370 378

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Mathematical Process Expectations	Chapter/Section	Pages
Selecting Tools and Computational Strategies MPS.04 select and use a variety of concrete, visual, and electronic learning tools and appropriate computational strategies to investigate mathematical ideas and to solve problems;	General References All Chapters/Sections (Tools) Technology Appendix Specific References 1.3 Similar Triangles 5.4 Solve Problems Involving Linear Systems	General References Throughout 444 to 466 Specific References 28 224
Connecting MPS.05	General References	General References
make connections among mathematical concepts and procedures, and relate mathematical ideas to situations or phenomena drawn from other contexts (e.g., other curriculum areas, daily life,	MathConnect Margin Feature Specific References 1.4 Solve Problems Using Similar Triangles	Throughout Specific References 35
current events, art and culture, sports);	4.1 Solve One- and Two-	160
	5.2 Solve Linear Systems	210
	6.1 Explore Non-Linear	242
	6.2 Model Quadratic	252
	6.4 Rates of Change in	270
	9.3 Surface Area and	388
	9.5 Solve Problems Involving Surface Area and Volume	403
		0 10 D 0
Communicating MPS.06 Create a variety of representations of mathematical ideas (e.g., numeric, geometric, algebraic, graphical, pictorial representations; onscreen dynamic representations), connect and compare them, and select and apply the appropriate representation to solve problems;	 Specific References 1.4 Solve Problems Using Similar Triangles 4.1 Solve One- and Two- Step Linear Equations 4.3 Model With Formulas 5.1 Solve Linear Systems by Graphing 5.3 Solve Linear Systems by Elimination 5.4 Solve Problems Involving Linear Systems 9.1 Volume of Prisms and Pyramids 9.2 Surface Area of Prisms and Pyramids 	Specific Kelerences 36 161 180 202 218 224 370 377 General References
communicating MPS.07 communicate mathematical thinking orally, visually, and in writing, using mathematical vocabulary and a variety of appropriate representations, and observing mathematical conventions.	Literacy Links	One in each Chapter opening spread (supported in the Teacher's Resource)
	Literacy Connect Questions	One in each section (included in the Practice Questions)
	 Specific References 1.1 Imperial Measure 1.2 Conversions Between Metric and Imperial Systems 1.3 Similar Triangles 2.1 The Pythagorean Theorem 	Specific References 10 18 27 51

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Mathematical Process Expectations	Chapter/Section	Pages
Communicating MPS.07	2.2 Explore Ratio and	61
communicate mathematical thinking	Proportion in Right	
orally, visually, and in writing, using	Triangles	
mathematical vocabulary and a variety of	2.4 The Tangent Ratio	81
appropriate representations, and observing	2.5 Solve Problems Using	87
mathematical conventions.	Right Triangles	
	4.1 Solve One- and Two-	161
	Step Linear Equations	
	4.3 Model With Formulas	182
	5.3 Solve Linear Systems	218
	by Elimination	
	6.3 Key Features of	263
	Quadratic Relations	
	7.1 Multiply Two	288
	Binomials	
	9.1 Volume of Prisms and	370, 371
	Pyramids	
	9.2 Surface Area of Prisms	378
	and Pyramids	

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Foundations of Mathematics 10: Correlation to Overall and Specific Expectations by Chapter and Section

Measurement and Trigonometry Overall Expectations

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MTV.01 use their knowledge of ratio and proportion to investigate similar triangles and solve problems related to similarity

MTV.02 solve problems involving right triangles, using the primary trigonometric ratios and the Pythagorean theorem

MTV.03 solve problems involving the surface area and volumes of three-dimensional figures, and use the imperial and metric systems of measurement

Specific Expectations

	Chapter/Section	Pages
Solving Problems Involving Similar Triangles		
MT1.01 verify, through investigation (e.g., using dynamic geometry software, concrete materials), properties of similar triangles (e.g., given similar triangles, verify the equality of corresponding angles and the proportionality of corresponding sides)	1.3 Similar Triangles	19–29
MT1.02 determine the lengths of sides of similar triangles, using proportional reasoning	1.3 Similar Triangles Task: Fix Up a Neighbourhood Park	19–29 92–93
MT1.03 solve problems involving similar triangles in realistic situations (e.g., shadows, reflections, scale models, surveying)	1.4 Solve Problems Involving Similar Triangles Task: Fix Up a Neighbourhood Park	30–37 92–93
Solving Problems Involving the Trigonometry of	f Right Triangles	
MT2.01 determine, through investigation (e.g., using dynamic geometry software, concrete materials), the relationship between the ratio of two sides in a right triangle and the ratio of the two corresponding sides in a similar right triangle, and define the sine, cosine, and tangent ratios $\left(e.g., \sin A = \frac{opposite}{hypotenuse}\right)$	2.1 The Pythagorean Theorem 2.2 Explore Ratio and Proportion in Right Triangles	46–53 54–62
MT2.02 determine the measures of the sides and angles in right triangles, using the primary trigonometric ratios and the Pythagorean theorem	 2.2 Explore Ratio and Proportion in Right Triangles 2.3 The Sine and Cosine Ratios 2.4 The Tangent Ratio Task: Fix Up a Neighbourhood Park 	54–62 63–73 74–82 92–93
MT2.03 solve problems involving the measures of sides and angles in right triangles in real-life applications (e.g., in surveying, in navigation, in determining the height of an inaccessible object around the school), using the primary trigonometric ratios and the Pythagorean theorem	 2.4 The Tangent Ratio 2.5 Solve Problems Using Right Triangles Task: Fix Up a Neighbourhood Park 	74–82 83–87 92–93
MT2.04 describe, through participation in an activity, the application of trigonometry in an occupation (e.g., research and report on how trigonometry is applied in astronomy; attend a career fair that includes a surveyor, and describe how a surveyor applies trigonometry to calculate distances; job shadow a carpenter for a few hours, and describe how a carpenter uses trigonometry)	2.5 Solve Problems Using Right Triangles	83–87

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	Chapter/Section	Pages	
Solving Problems Involving Surface Area and Volume, Using the Imperial and Metric Systems of Measurement			
MT3.01 use the imperial system when solving measurement problems (e.g., problems involving dimensions of lumber, areas of carpets, and volumes of soil or concrete)	1.1 Imperial Measure 1.2 Conversions Between Metric and Imperial Systems	6–11 12–18	
· · · · · · · · · · · · · · · · · · ·	9.1 Volume of Prisms and Pyramids9.2 Surface Area of Prisms	364–371 372–380	
	and Pyramids 9.3 Surface Area and Volume of Cylinders	381–390	
	9.4 Volume of Cones and Spheres9.5 Solve ProblemsInvolving Surface Area and Volume	391–397 398–405	
MT3.02 perform everyday conversions between the imperial systems and the metric system (e.g., millilitres to cups, centimetres to inches) and within these systems (e.g., cubic metres	1.1 Imperial Measure 1.2 Conversions Between Metric and Imperial Systems	6–11 12–18	
to cubic centimetres, square feet to square yards), as necessary to solve problems involving measurement	9.1 Volume of Prisms and Pyramids9.2 Surface Area of Prisms	364–371 372–380	
	and Pyramids 9.3 Surface Area and Volume of Cylinders	381–390	
	9.4 Volume of Cones and Spheres	391–397	
	9.5 Solve Problems Involving Surface Area and Volume	398–405	
MT3.03 determine, through investigation, the relationship for calculating the surface area of a pyramid (e.g., use the net of a square-based pyramid to determine that the surface area is the area of the square base plus the area of the four congruent triangles)	9.2 Surface Area of Prisms and Pyramids	372–380	
MT3.04 solve problems involving the surface areas of prisms, pyramids, and cylinders, and the	9.1 Volume of Prisms and Pyramids	364–371	
volumes of prisms, pyramids, cylinders, cones, and spheres, including problems involving the combinations of these figures, using the metric	9.2 Surface Area of Prisms and Pyramids9.3 Surface Area and	372–380 381–390	
system or the imperial system, as appropriate	Volume of Cylinders 9.4 Volume of Cones and Spheres	391–397	
	9.5 Solve Problems Involving Surface Area and Volume	398–405	
	Task: Design a Game	412-413	

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Modeling Linear Relations Overall Expectations

 ${\bf MLV.01}\,$ manipulate and solve algebraic equations, as needed to solve problems

MLV.02 graph a line and write the equation of a line from given information MLV.03 solve systems of two linear equations, and solve related problems that arise from realistic situations

Specific Expectations

	Chapter/Section	Pages	
Manipulating and Solving Algebraic Equations			
ML1.01 solve first-degree equations involving one variable, including equations with fractional coefficients (e.g., using the balance analogy, computer algebra systems, paper and pencil)	4.1 Solve One- and Two- Step Linear Equations	154–162	
ML1.02 determine the value of a variable in the first degree, using a formula (i.e., by isolating the variable and then substituting known values; by substituting known values and then solving for the variable) (e.g., in analytic geometry, in measurement)	4.1 Solve One- and Two- Step Linear Equations4.2 Solve Multi-Step Linear Equations4.3 Model With Formulas	154–162 163–173 174–183	
ML1.03 express the equation of a line in the form $y = mx + b$ given the form $Ax + By + C = 0$	4.4 Convert Linear Relations From Standard Form	184–189	
Graphing and Writing Equations of Lines			
ML2.01 connect the rate of change of a linear relation to the slope of a line, and define the slope as the ratio $m = \frac{\text{rise}}{\text{run}}$	3.1 Slope as a Rate of Change	100–110	
ML2.02 identify, through investigation, y = mx + b as a common form for the equation of a straight line, and identify the special cases x = a, y = b	3.1 Slope as a Rate of Change	100–110	
ML2 03 identify, through investigation with technology, the geometric significance of m and b in the equation $y = mx + b$	3.2 Investigate Slope and y-intercept Using Technology	111–117	
ML2.04 identify, through investigation, properties of the slopes of lines and line segments (e.g., direction, positive or negative rate of change, steepness, parallelism), using graphing technology to facilitate investigations, where appropriate	3.3 Properties of Slopes of Lines	118–127	
ML2.05 graph lines by hand, using a variety of techniques (e.g., graph using the y-intercept and slope; graph $2x + 3y = 6$ using the x- and y-intercepts)	3.5 Graph Linear Relations by Hand	138–145	
ML2.06 determine the equation of a line, given its graph, the slope and y-intercept, the slope and a point on the line, or two points on the line	3.4 Determine the Equation of a Line Task: Charity Fundraising	128–137 230–231	
Solving and Interpreting Systems of Linear Equations			
ML3.01 determine graphically the point of intersection of two linear relations (e.g., using graph paper, using technology)	5.1 Solve Linear Systems by Graphing Task: Charity Fundraising	198–204 230–231	
ML3.02 solve systems of two linear equations	5.2 Solve Linear Systems	205-211	
involving two variables with integral coefficients, using the algebraic method of substitution or elimination	by Substitution 5.3 Solve Linear Systems by Elimination Task: Charity Fundraising	212–218 230–231	
ML3.03 solve problems that arise from realistic	5.4 Solve Problems	219-225	
situations described in words or represented by given linear systems of two equations involving two variables, by choosing an appropriate algebraic or graphical method	Involving Linear Systems Task: Charity Fundraising	230–231	

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Quadratic Relations in the Form $y = ax^2 + bx + c$ Overall Expectations

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QRV.01 manipulate algebraic expressions, as needed to understand quadratic relations

 $\hat{\mathbf{Q}}\mathbf{RV.02}$ identify characteristics of quadratic relations

QRV.03 solve problems by interpreting graphs of quadratic relations

Specific Expectations

	Chapter/Section	Pages	
Manipulating Quadratic Expressions			
QR1.01 expand and simplify second-degree polynomial expressions involving one variable that consist of the product of two binomials [e.g., $(2x + 3(x + 4)]$ or the square of a binomial [e.g., $(2x + 3)^2$], using a variety of tools (e.g., algebra tiles, diagrams, computer algebra systems, paper and pencil) and strategies (e.g., patterning)	7.1 Multiply Two Binomials	280–289	
QR1.02 factor binomials (e.g., $4x^2 + 8x$) and trinomials (e.g., $3x^2 + 9x - 15$) involving one variable up to degree two, by determining a common factor using a variety of tools (e.g., algebra tiles, diagrams, computer algebra systems, paper and pencil) and strategies (e.g., patterning)	7.2 Common Factoring	290–297	
QR1.03 factor simple trinomials of the form $x^2 + bx + c$ (e.g., $x^2 + 7x + 10$, $x^2 + 2x - 8$) using a variety of tools (e.g., algebra tiles, diagrams, computer algebra systems, paper and pencil) and strategies (e.g., patterning)	7.4 Factor Trinomials of the Form $x^2 + bx + c$	306–311	
QR1.04 factor the difference of squares of the form $x^2 - a^2$ (e.g., $x^2 - 16$)	7.3 Factor a Difference of Squares	298–305	
Identifying Characteristics of Quadratic Relations			
QR2.01 collect data that can be represented as a quadratic relation, from experiments using appropriate equipment and technology (e.g., concrete materials, scientific probes, calculators), or from secondary sources (e.g., the Internet, Statistics Canada); graph the data and draw a curve of best fit, if appropriate, with or without the use of technology	6.2 Model Quadratic Relations	245–253	
QR2.02 determine, through investigation using technology, that a quadratic relation of the form $y = ax^2 + bx + c$ ($a \neq 0$) can be graphically represented as a parabola, and determine that the table of values yields a constant second difference	6.4 Rates of Change in Quadratic Relations	264–271	
QR2.03 identify the key features of a graph of a parabola (i.e., the equation of the axis of symmetry, the coordinates of the vertex, the <i>y</i> -intercept, the zeros, and the maximum or minimum value), using a given graph or a graph generated with technology from its equation, and use the appropriate terminology to describe the features	6.1 Explore Non-Linear Relations 6.3 Key Features of Quadratic Relations	238–244 254–263	

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	Chapter/Section	Pages
QR2.04 compare, through investigation using technology, the graphical representations of a quadratic relation of the form $y = x^2 + bx + c$ and the same relation in the factored form $y = (x - r)(x - s)$ (i.e., the graphs are the same) and describe the connections between each algebraic representation and the graph (e.g., the <i>y</i> -intercept is <i>c</i> in the form $y = x^2 + bx + c$; the <i>x</i> -intercepts are <i>r</i> and <i>s</i> in the form $y = (x - r)(x - s)$	8.2 Represent Quadratic Relations in Different Ways	329–335
Solving Problems by Interpreting Graphs of Qu	adratic Relations	
QR3.01 solve problems involving a quadratic relation by interpreting a given graph or a graph generated with technology from its equation (e.g., given an equation representing the height of a ball over elapsed time, use a graphing calculator or graphing software to graph the relation, and answer questions such as the following: What is the maximum height of the ball? After what length of time will the ball hit the ground? Over what time interval is the height of the ball greater than 3 m?)	8.1 Interpret Quadratic Relations 8.4 Solve Problems Involving Quadratic Relations Task: Home Run Derby	320–328 344–351 356–357
QR3.02 solve problems by interpreting the significance of the key features of graphs obtained by collecting experimental data involving quadratic relations	8.3 The Quadratic Relation $y = ax^2 + c$ Task: Home Run Derby	336–343 356–357

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