

---

## CHAPTER 28

# *Network Security*

### Exercises

1. Substitute the character that is 4 characters down. For example, X is 4 characters down from T and L is 4 characters down from H. The encrypted message is

**XLMW MW E KSSH IBEQTPI**

3. Using statistics, we can find

**ENCRYPTION IS LIKE ENCLOSING A SECRET IN AN ENVELOPE**

- 5.

- a. 65      66      67      65      68      69      70      71      72
- b. 0      1      2      0      3      4      5      6      7
- c. 00000 00001 00010 00000 00011 00100 00101 00110 00111

- 7.

$$N = 19 \times 23 = 437$$

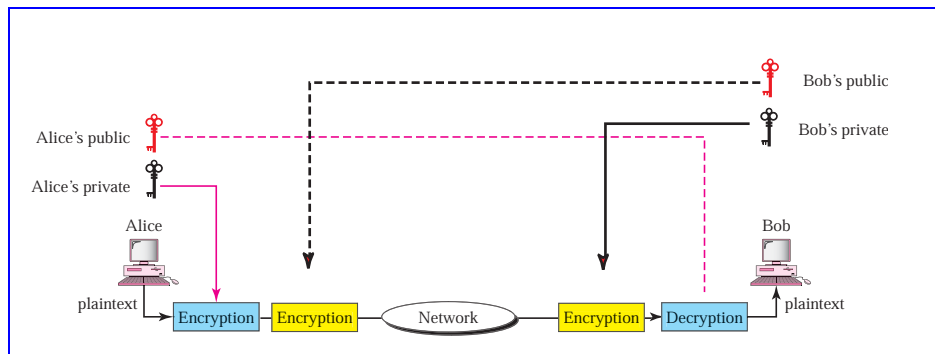
$$(p - 1)(q - 1) = 396$$

Select an  $e$  such that it is relatively prime to 396. An  $e = 5$  satisfies the condition. Now we need a  $d$  such that  $(5 \times d) \bmod 396 = 1$ . Solve the equation  $396y = 5d - 1$ , with  $y$  an integer. We need a  $y$  that when multiplied by 396, the ones' digit is 4 or 9 so that it is evenly divisible by 5. If  $y$  is 4, then  $d = 317$ .

9.

$$\begin{aligned}
 (1 \times 227) \bmod 100 &= 27 \\
 (27 \times 227) \bmod 100 &= 29 \\
 (29 \times 227) \bmod 100 &= 83 \\
 (83 \times 227) \bmod 100 &= 41 \\
 (41 \times 227) \bmod 100 &= 7 \\
 (7 \times 227) \bmod 100 &= 89 \\
 (89 \times 227) \bmod 100 &= 3 \\
 (3 \times 227) \bmod 100 &= 81 \\
 (81 \times 227) \bmod 100 &= 87 \\
 (87 \times 227) \bmod 100 &= 49 \\
 (49 \times 227) \bmod 100 &= 23 \\
 (23 \times 227) \bmod 100 &= 21 \\
 (21 \times 227) \bmod 100 &= 67 \\
 (67 \times 227) \bmod 100 &= 9 \\
 (9 \times 227) \bmod 100 &= 43 \\
 (43 \times 227) \bmod 100 &= 61
 \end{aligned}$$

11. See Figure 28.1.

**Figure 28.1** Exercise 11

13.

$$G^{xy} \bmod N = 7^6 \bmod 11 = 4$$

$$(G^x \bmod N)^y = (7^2 \bmod 11)^3 \bmod 11 = 5^3 \bmod 11 = 4$$

15.

$$R_1 = 7^3 \bmod 23 = 21$$

$$R_2 = 7^5 \bmod 23 = 17$$

$$K = 17^3 \bmod 23 = \mathbf{14}$$

$$K = 21^5 \bmod 23 = \mathbf{14}$$

The symmetric key  $K$  is 14

17.

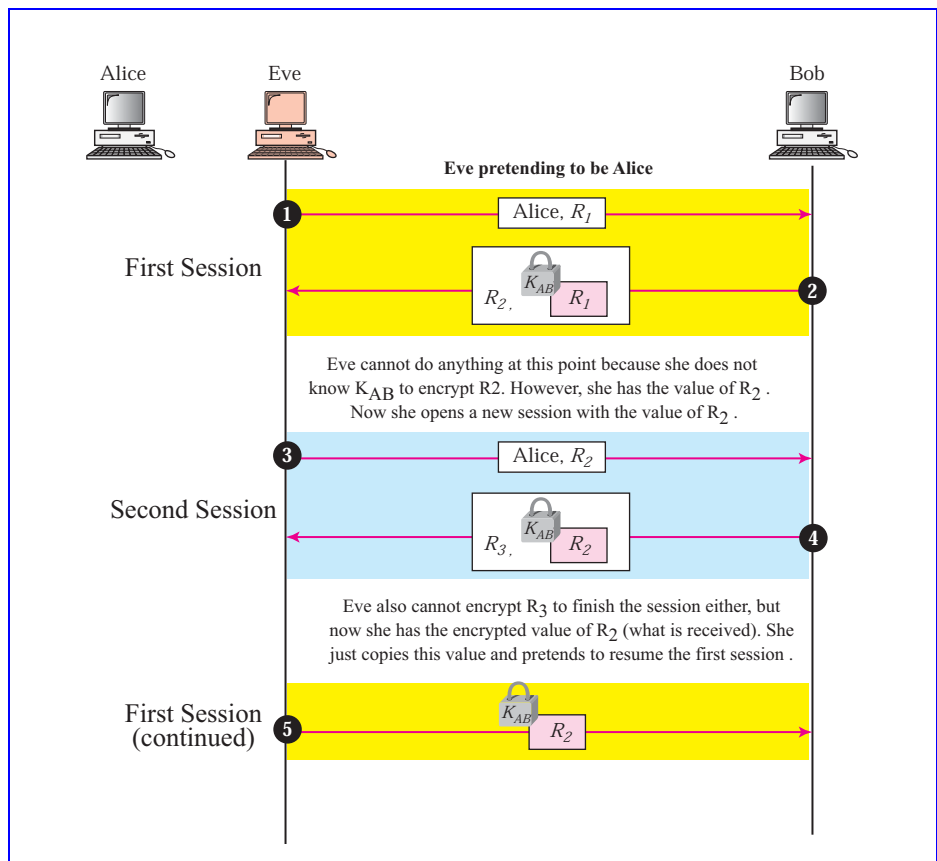
If  $X = Y$ , then  $R_1 = R_2$ . The session key is just one value. Let  $X = Y = 2$ ,  $G = 7$  and  $N = 11$

$$R_1 = R_2 = 7^2 \bmod 11 = 5$$

$$K = 5^2 \bmod 11 = 3$$

19. Eve can impersonate Alice using the reflection attack as shown in Figure 28.2.

**Figure 28.2** Exercise 19



Eve can start the first exchange and receive the response of Bob. However, she needs to encrypt  $R_2$  and send it to Bob to complete the process, but she does not have the shared key to do so.

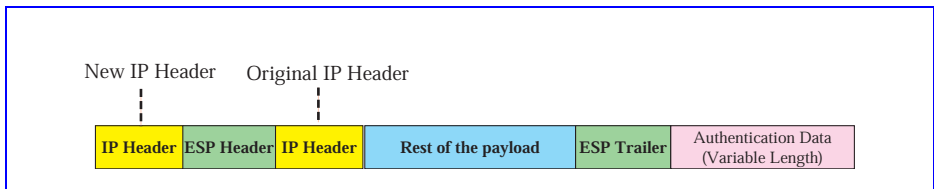
Eve pretends that she is Alice again and opens a new session, this time with the same nonce that she has received from Bob. Bob repeats the second transaction, but he encrypts the new nonce  $R_2$  this time. This is what Eve is looking for.

Eve now sends the encrypted  $R_2$  received in the fourth exchange and pretends that she is Alice continuing the first session. Bob is totally fooled; Alice is authenticated for Bob.

To prevent such an attack, one can either use different shared keys for each direction or use nonces from different sets in each direction.

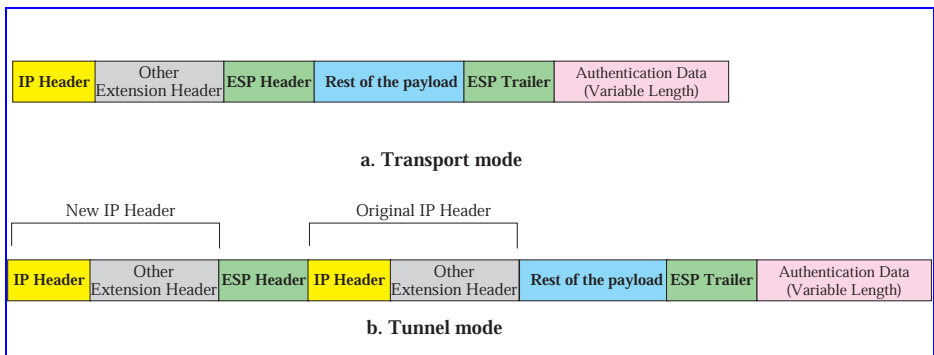
21. See Figure 28.3.

**Figure 28.3** Exercise 21



23. See Figure 28.4.

**Figure 28.4** Exercise 23



25. Anytime symmetric keys are involved, there is a need for a trusted third party to distribute the keys. KDC is a trusted party.

