

Connections . . .



Ppm or Ppb to Percent

Sometimes it is useful to know the conversion factors between ppm or ppb and the more familiar percent concentration by weight. These factors are $\text{ppm} \div (1 \times 10^4) = \text{percent concentration}$ and $\text{ppb} \div (1 \times 10^7) = \text{percent concentration}$. For example, very hard water (water containing Ca^{2+} or Mg^{2+} ions), by definition, contains more than 300 ppm of the ions. This is a percent concentration of $300 \div 1 = 10^4$, or 0.03 percent. To be suitable for agricultural purposes, irrigation water must not contain more than 700 ppm of total dissolved salts, which means a concentration no greater than 0.07 percent salts.

Concentration of Solutions

The relative amounts of solute and solvent are described by the concentration of a solution. In general, a solution with a large amount of solute is *concentrated*, and a solution with much less solute is *dilute*. The terms *dilute* and *concentrated* are somewhat arbitrary, and it is sometimes difficult to know the difference between a solution that is “weakly concentrated” and one that is “not very diluted.” More meaningful information is provided by measurement of the *amount of solute in a solution*. There are different ways to express concentration measurements, each lending itself to a particular kind of solution or to how the information will be used. For example, you read about concentrations of parts per million in an article about pollution, but most of the concentration of solutions sold in stores are reported in percent by volume or percent by weight. Each of these concentrations is concerned with the amount of *solute* in the *solution*.

Concentration ratios that describe small concentrations of solute are sometimes reported as a ratio of *parts per million* (ppm) or *parts per billion* (ppb). This ratio could mean ppm by volume or ppm by weight, depending on whether the solution is a gas or a liquid. For example, a drinking water sample with 1 ppm Na^+ by weight has 1 weight measure of solute, sodium ions, in every 1,000,000 weight measures of the total solution. By way of analogy, 1 ppm expressed in money means 1 cent in every \$10,000 (which is 1 million cents). A concentration of 1 ppb means 1 cent in \$10,000,000. Thus, the concentrations of very dilute solutions, such as certain salts in seawater, minerals in drinking water, and pollutants in water or in the atmosphere, are often reported in ppm or ppb.

The concentration term of *percent by volume* is defined as the *volume of solute in 100 volumes of solution*. This concentration term is just like any other percentage ratio, that is, “part” divided by the “whole” times 100 percent. The distinction is that the part and the whole are concerned with a volume of solute and a volume of solution. Knowing the meaning of percent by volume can be useful in consumer decisions. Rubbing alcohol, for example, can be purchased at a wide range of prices. The various brands range from a concentration, according to the labels, of “12% by volume” to “70% by volume.” If the volume unit is mL, a “12% by volume” concentration contains 12 mL of pure isopropyl (rubbing) alcohol in every 100 mL of solution. The “70% by volume” contains 70 mL of isopropyl alcohol in every 100 mL of solution. The relationship for percent by volume is

$$\frac{\text{volume solute}}{\text{volume solution}} \times 100\% \text{ solution} = \% \text{ solute}$$

The concentration term of *percent by weight* is defined as the *weight of solute in 100 weight units of solution*. This concentration term is just like any other percentage composition, the difference being that it is concerned with the weight of solute (the part) in a weight of solution (the whole). Hydrogen

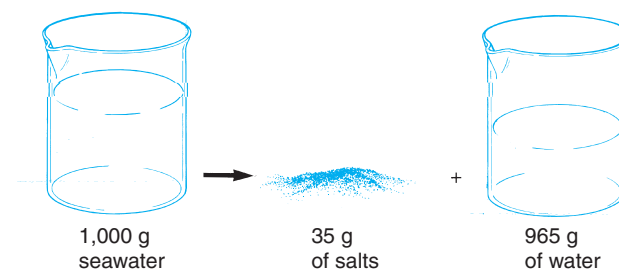


FIGURE 10.6 Salinity is a measure of the amount of salts dissolved in 1 kg of solution. If 1,000 g of seawater were evaporated, 35.0 g of salts would remain as 965.0 g of water leave.

peroxide, for example, is usually sold in a concentration of “3% by weight.” This means that 3 oz (or other weight units) of pure hydrogen peroxide are in 100 oz of solution. Since weight is proportional to mass in a given location, mass units such as grams are sometimes used to calculate a percent by weight. The relationship for percent by weight (using mass units) is

$$\frac{\text{mass of solute}}{\text{mass of solution}} \times 100\% \text{ solution} = \% \text{ solute}$$

Both percent by volume and percent by weight are defined as the volume or weight per 100 units of solution because percent *means* parts per hundred. The measure of dissolved salts in seawater is called *salinity*. **Salinity** is defined as the mass of salts dissolved in 1,000 g of solution. As illustrated in figure 10.6, evaporation of 965 g of water from 1,000 g of seawater will leave an average of 35 g salts. Thus, the average salinity of the seawater is 35‰. Note the ‰, which means parts per thousand just as % means parts per hundred. Thus, the average salinity of seawater is 35‰, which means there are 35 g of salts dissolved in every 1,000 g of seawater. The equivalent percent measure for salinity is 3.5%, which equals 350‰.

A **mole** is a measure of amount used in chemistry. One mole is defined as the amount of a substance that contains the

same number of elementary units as there are atoms in exactly 12 grams of the carbon-12 isotope. The number of units in this case is called *Avogadro's number*, which is 6.02×10^{23} —a very large number. This measure can be compared with identifying amounts in the grocery store by the dozen. You know that a dozen is 12 of something. Now you know that a *mole* is 6.02×10^{23} of whatever you are measuring.

Chemists use a measure of concentration that is convenient for considering chemical reactions of solutions. The measure is based on moles of solute, since a mole is a known number of particles (atoms, molecules, or ions). The concentration term of **molarity** (M) is defined as the number of moles of solute dissolved in one liter of solution. Thus,

$$\text{molarity} = \frac{\text{moles of solute}}{\text{liters of solution}}$$

(M)

An aqueous solution of NaCl that has a molarity of 1 contains 1 mole of NaCl per liter of solution. To make such a solution, you would place 58.5 g (1.0 mole) NaCl in a beaker, then add water to make 1 liter of solution.